

Composition with abstraction is a four-step process:

1. **Abstraction** Add a λ -argument.
2. **Value copy** Copy the expression you already had (that's the binder's sister)
3. **Modify** the assignment
4. **Replace** the pronoun with the output of the modified assignment

Replace: $\lambda x \in D_e. \text{run}(x)$
Modify: $\lambda x \in D_e. \text{run}(g^{3 \rightarrow x}(3))$
Abstract + Copy: $\lambda x \in D_e. \text{run}(g(3))$

$$\lambda_3 \quad \text{run}(g(3)) : t$$

1. Complete the following intransitive abstractions. Assume variable assignment g .

1. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{sleep}(x)$
 $\lambda x \in D_e. \text{sleep}(g^{2 \rightarrow x}(2))$
 $\lambda x \in D_e. \text{sleep}(g(2))$

$\lambda_2 \quad \text{FA} : t$
 $\text{sleep}(g(2))$

4. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{dream}(x)$
 $\lambda x \in D_e. \text{dream}(g^{2 \rightarrow x}(2))$
 $\lambda x \in D_e. \text{dream}(g(2))$

$\lambda_2 \quad \text{FA} : t$
 $\text{dream}(g(2))$

2. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{yellow}(x)$
 $\lambda x \in D_e. \text{yellow}(g^{4 \rightarrow x}(4))$
 $\lambda x \in D_e. \text{yellow}(g(4))$

$\lambda_4 \quad \text{FA} : t$
 $\text{yellow}(g(4))$

5. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{on}(iz[\text{table}(z)])(x)$
 $\lambda x \in D_e. \text{on}(iz[\text{table}(z)])(g^{4 \rightarrow x}(4))$
 $\lambda x \in D_e. \text{on}(iz[\text{table}(z)])(g(4))$

$\lambda_4 \quad \text{FA} : t$
 $\text{on}(iz[\text{table}(z)])(g(4))$

3. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{died}(x)$
 $\lambda x \in D_e. \text{died}(g^{1 \rightarrow x}(1))$
 $\lambda x \in D_e. \text{died}(g(1))$

$\lambda_1 \quad \text{FA} : t$
 $\text{died}(g(1))$

6. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{orange}(x) = 1 \ \& \ \text{house}(x) = 1$
 $\lambda x \in D_e. \text{orange}(g^{1 \rightarrow x}(1)) = 1 \ \& \ \text{house}(g^{1 \rightarrow x}(1)) = 1$
 $\lambda x \in D_e. \text{orange}(g(1)) = 1 \ \& \ \text{house}(g(1)) = 1$

$\lambda_1 \quad \text{FA} : t$
 $\text{orange}(g(1)) = 1 \ \& \ \text{house}(g(1)) = 1$

2. Complete the following transitive abstractions. Assume variable assignment g. **Be mindful of whether you're abstracting over the subject or the object.**

1. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{saw}(g(1))(x)$
 $\lambda x \in D_e. \text{saw}(g(1))(g^{2 \rightarrow x}(2))$
 $\lambda x \in D_e. \text{saw}(g(1))(g(2))$

 λ_2 $\text{FA} : t$
 $\text{saw}(g(1))(g(2))$

2. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{watched}(x)(\text{Joni})$
 $\lambda x \in D_e. \text{watched}(g^{4 \rightarrow x}(4))(\text{Joni})$
 $\lambda x \in D_e. \text{watched}(g(4))(\text{Joni})$

 λ_4 $\text{FA} : t$
 $\text{watched}(g(4))(\text{Joni})$

3. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{raced(me})(x)$
 $\lambda x \in D_e. \text{raced(me)}(g^{1 \rightarrow x}(1))$
 $\lambda x \in D_e. \text{raced(me)}(g(1))$

 λ_1 $\text{FA} : t$
 $\text{raced(me)}(g(1))$

4. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{ate}(\iota y[\text{burger}(y)])(x)$
 $\lambda x \in D_e. \text{ate}(\iota y[\text{burger}(y)])(g^{2 \rightarrow x}(2))$
 $\lambda x \in D_e. \text{ate}(\iota y[\text{burger}(y)])(g(2))$

 λ_2 $\text{FA} : t$
 $\text{ate}(\iota y[\text{burger}(y)])(g(2))$

5. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{annoyed}(\iota y[R(x)(y) \& \text{brother}(y)])(x)$
 $\lambda x \in D_e. \text{annoyed}(\iota y[R(g^{4 \rightarrow x}(4))(y) \& \text{brother}(y)])(g^{4 \rightarrow x}(4))$
 $\lambda x \in D_e. [\text{get tired}](g(4))$

 λ_4 $\text{FA} : t$
 $\text{annoyed}(\iota y[R(g(4))(y) \& \text{brother}(y)])(g(4))$

6. $\text{PA} : \langle e, t \rangle$
 $\lambda x \in D_e. \text{lived}(x)$
 $\lambda x \in D_e. \text{lived}(g^{1 \rightarrow x}(1))$
 $\lambda x \in D_e. \text{lived}(g(1))$

 λ_1 $\text{FA} : t$
 $\text{arrested}(g(1))(g(2))$

3. Draw the following compositions. Assume variable assignment g.

1. $who_1 t_1 \text{ is pregnant}$

2. $which_1 he_2 \text{ liked } t_1$

3. $[CP \text{ that the key is in } t_1]$

4. Fill in the blank node

